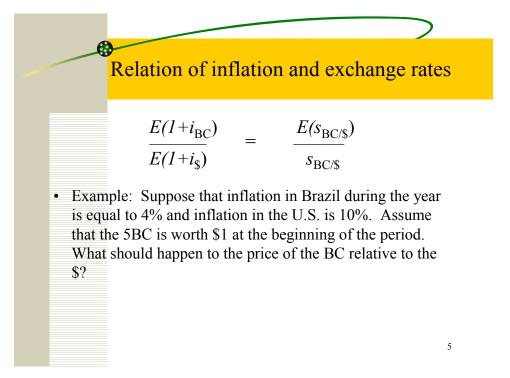


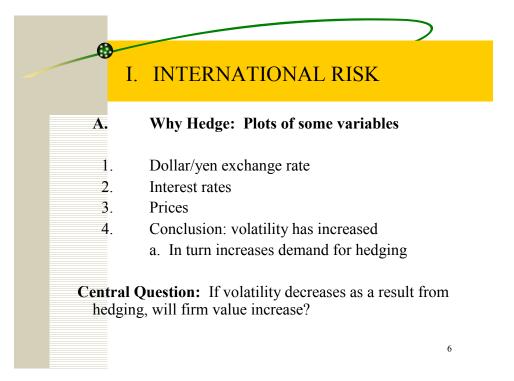
Why Hedge: Reducing Risks

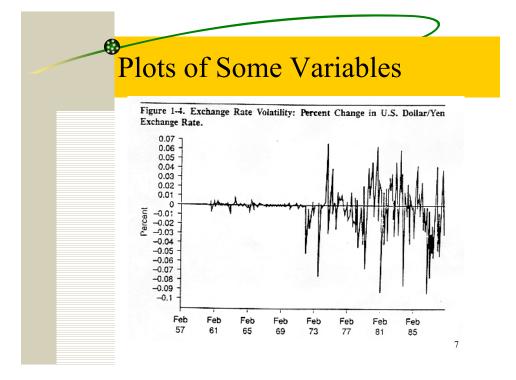
- Up to this point in the course, we have taken many types of risks as given.
 - > Systematic risks are summarized by a firm's Beta.
 - We have examined how financial risk can increase the risk of the firm's stock by unleveraging and levering the firm's beta.

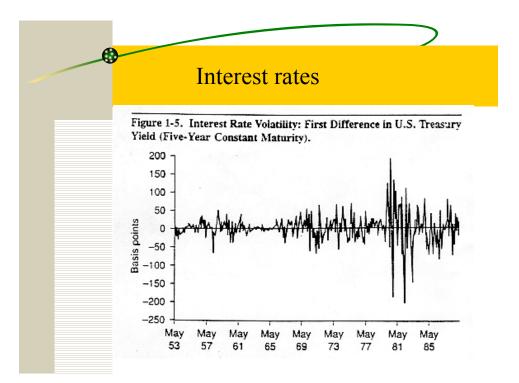
NOW:

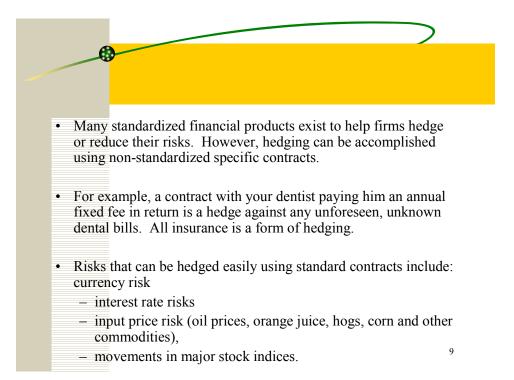
- We now will examine how certain financial assets can be used to reduce the variance of the firm's cash flows.
- Reducing the risks of the firm's cashflows can be done for many different types of risk by buying or selling financial assets.
- This technique of entering into a transaction to reduce the variance of a firm's cash flows is called hedging.
- Description of the provided in the provided interval of th

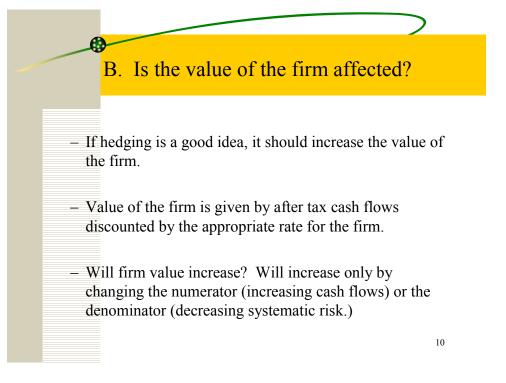












Should Firms Hedge?

CON:

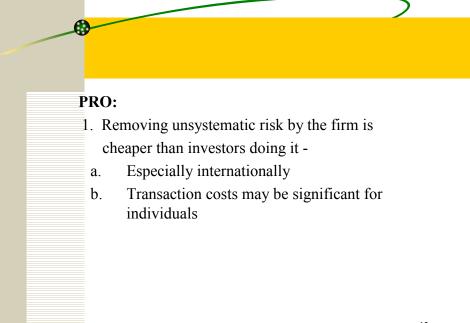
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• Risks being hedged are almost by definition nonsystematic risks.

• They can be diversified away by investors, who will therefore not attach any value to the firm diversifying the risks. That is, the denominator - the discount rate - should not be affected by hedging activities because they don't represent systematic risk.

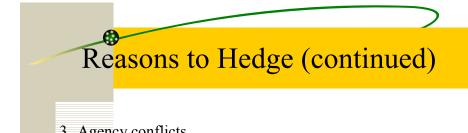
• Another argument against hedging is that the firm **cannot** predict better than the market what will happen in currency markets - thus we should let investors hedge themselves.

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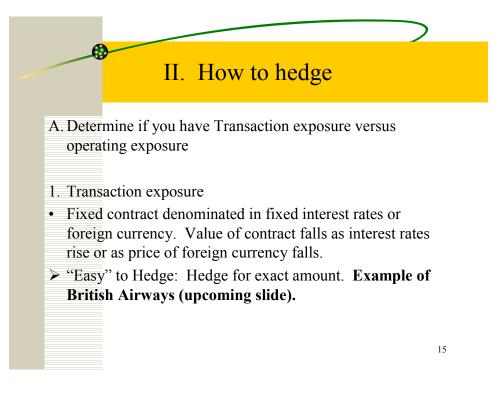


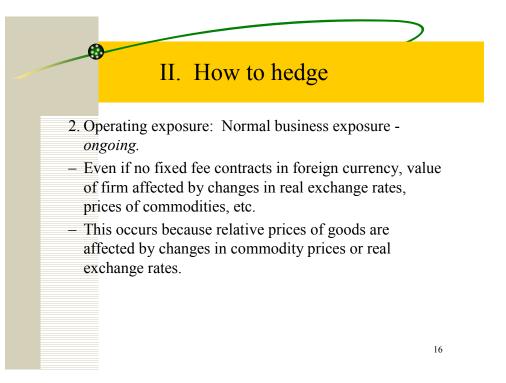
Reasons to Hedge (continued)

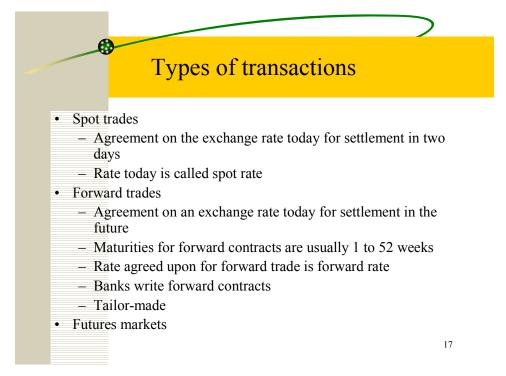
- 2. Financial distress
- Firms in financial distress face both direct costs
- (bankruptcy costs) and indirect costs (loss of customers, suppliers, and employees).
- Hedging can reduce the probability of financial distress and thereby lower the expected costs of distress.
- By lowering the probability of the firm getting into trouble, it makes customers, suppliers, etc. more willing to deal with the firm.
- > This should increase cash flows and raise the value of the firm.

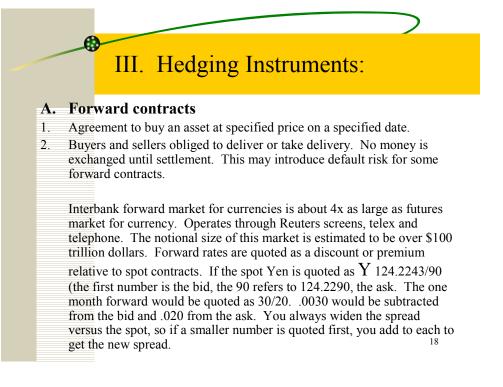


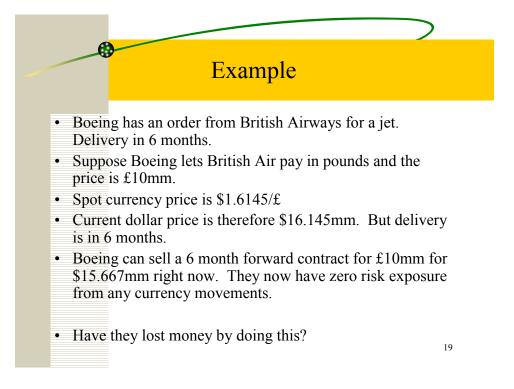
- 3. Agency conflicts
- Previously discussed bondholder/stockholder conflicts. Firms that are stable with low probability of large variances in income have no worry about such conflicts. But firms with income that is highly variable are exposed to the costs of such conflicts (harder to monitor or see why cash flows are low).
- Reducing the variance of income by hedging may help to lower agency costs - and makes it easier to see if the "manager" messed up.

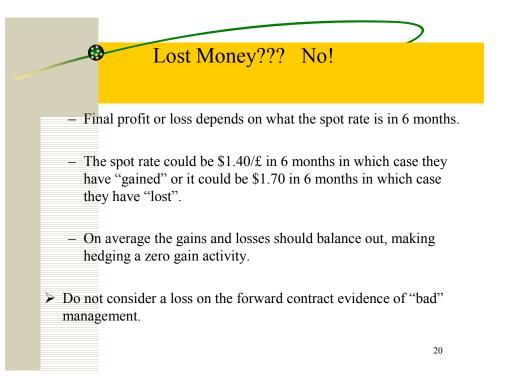












Forwards and Interest Rate Parity (IRP)

• IRP is an arbitrage condition that must hold after considering transaction costs and spreads and default risk. It relates the discount or premium on forward exchange to the term structure of interest rates on financial assets denominated in the two currencies involved in an exchange rate.

• This condition can be stated as the Interest Parity Theorem:

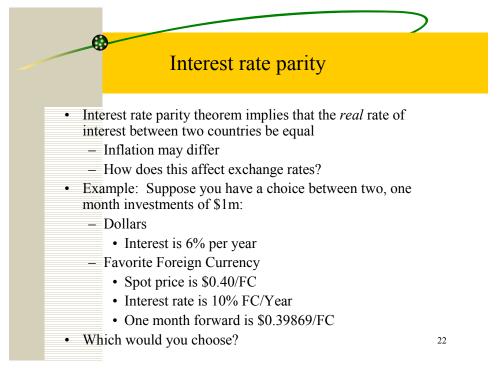
$$F(t,T) = S(t) \frac{[1+i]}{[1+i^*]}$$

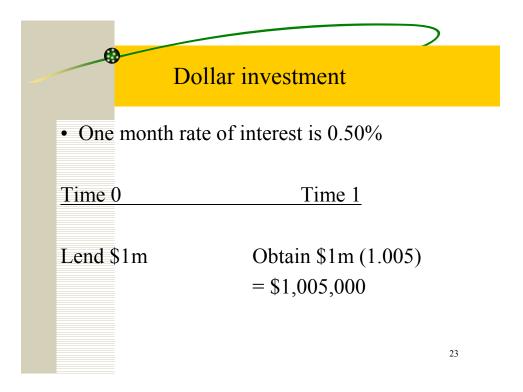
where: F(t,T) is the domestic currency price of forward exchange,

S(t) is the domestic currency price of spot exchange.

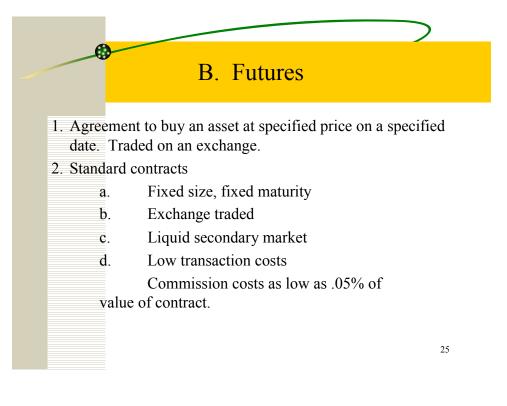
i,(i*) interest rate on deposits in domestic (foreign) currencies

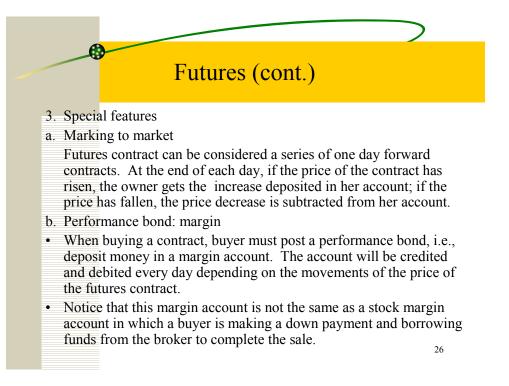
for the period in question – (above is annual compounded version).

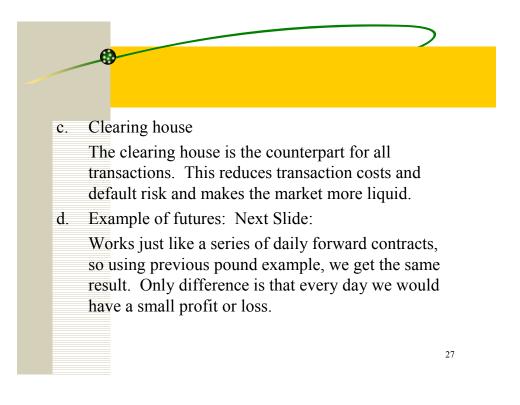


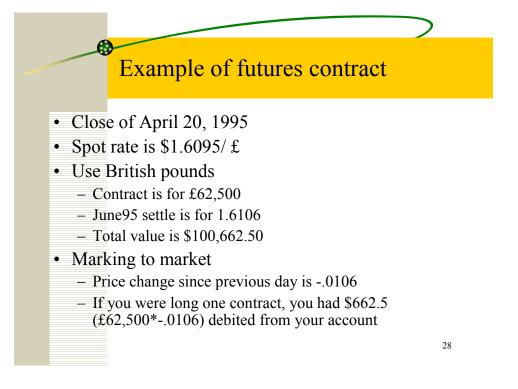


)
•	Favorite Curren	icy investment	
	– Interest rate is 0.83% p	per month	
	Time 0 Purchase \$1 m worth of FC (\$1m/.40)= FC2.5m	Time 1	
	Lend FC2.5m	Receive 2.5mFC (1.0083) = FC2,520,750	
	Sell forward FC2,520,750 at \$0.39869/FC	Receive FC2,520,750*(0.398969) = \$1,005,000	
			24





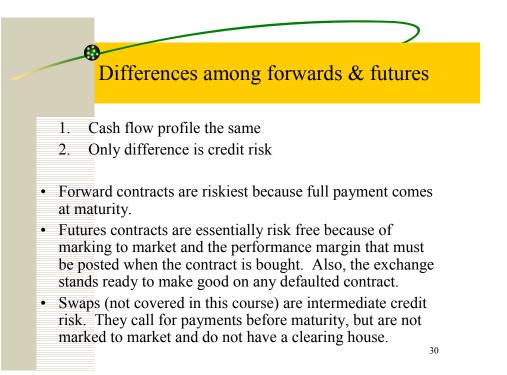




Institutional Details

• The International Monetary Market (IMM) division of the Chicago Mercantile Exchange (CME) trades Deutschemarks, Eurodollars, Yen, Swiss Franc, and T-bill futures. The Index and Options Market (IOM) division of the CME trades equity futures including the S&P 500, the most active futures contract, along with the Nikkei 225 and the S&P 100. The Chicago Board of Trade (CBOT) trades U.S. T. Bond and Note futures along with commodity futures. Options on these futures contracts are also traded on the CBOT.

• However, the maturity of these contracts is generally short. Most contracts are for 1-3 months. Up to 18 month contracts on some commodities (OIL on the NYMEX are offered) but generally illiquid after 6 months.



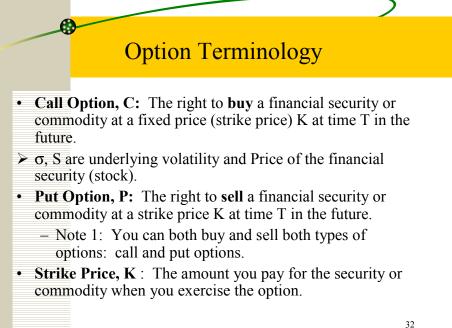
C. OPTIONS

What are Options?

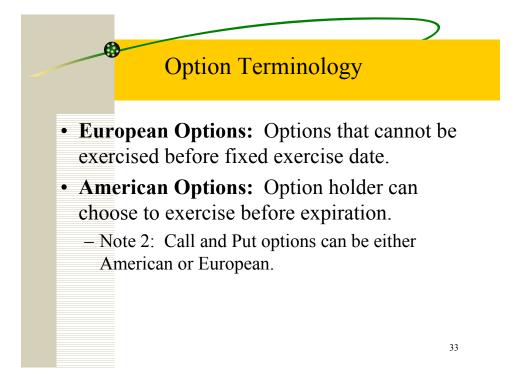
• Options are the right or "option" for the holder to buy (Call Option) or sell (Put Option) at given contract terms.

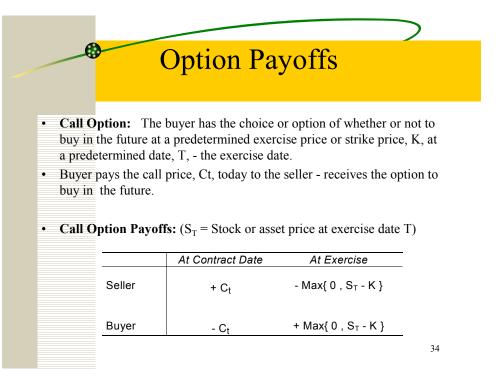
Common types of options: Calls, Puts, Warrants, Convertible portion of Convertible Debt. Option "like" features are found in many corporate securities.

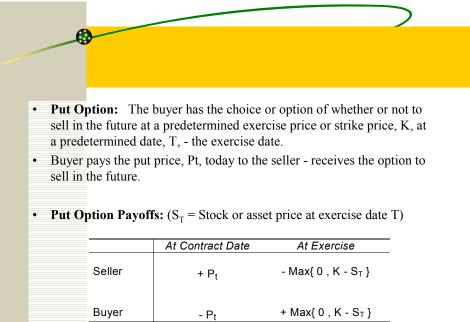
- In this note we will present the basics of option theory, show how options are valued *relative to* other securities and *use* option theory to value some corporate securities including warrants
- Options are part of larger group of securities called contingent • claims or derivative securities
- Value of the value of these securities is contingent on value of underlying security (usually equity)



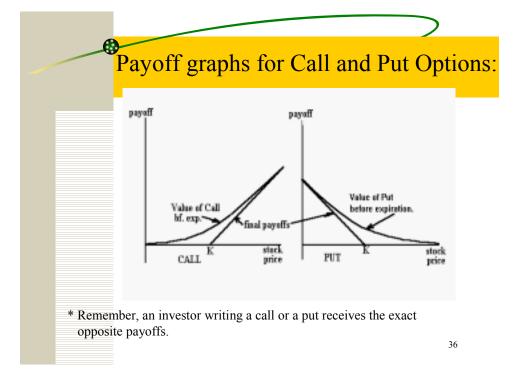
³¹







	At Contract Date	At Exercise
Seller	+ P _t	- Max{ 0 , K - S _T }
Buyer	- Pt	+ Max{ 0 , K - S_T }



Factors affecting value of call

• The value of a call is contingent on certain characteristics of the underlying security:

$$C = f(S_t, \sigma^2, K_T, \tau, r_f)$$

where

£

- S = Stock price (+ related to call price as the payoff increases with the stock price)
- σ^2 = Variance of stock price (+ related as increased chance of exercise)
- K = Exercise price (- related as lower probability of being exercised)
- τ = Time til maturity (+ related as greater chance of exceeding exercise price)
- $r_f = Risk$ free rate (+ related as present value of the delay of payment of exercise price becomes more valuable as interest rates rise)

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Black - Scholes Option Valuation:

Going to continuous time we can derive the famous Black
Scholes option pricing formula:

(for non-dividend paying stocks, for constant proportional dividend paying stocks a variant of this formula applies.):

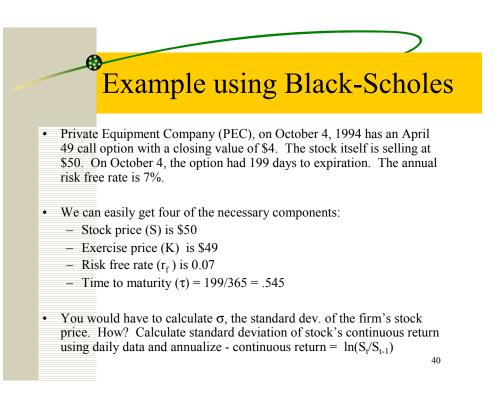
$$C = S_t N(d_1) - K e^{-r\tau} N(d_1 - \sigma \sqrt{\tau})$$

where $d_1 = \frac{\ln(S_t / K e^{-r\tau})}{\sigma \sqrt{\tau}} + \frac{1}{2} \sigma \sqrt{\tau}$

N(x) is the standard normal distribution function. (a standard function in spreadsheets). σ = std. dev. of firms' stock return in continuous time, τ is the time to maturity of the options, S_t = current stock price.

Assumptions of Black-Scholes

- No restrictions on short selling
- Transactions costs and taxes are zero
- European option
- No dividends are paid
- Process describing stock price return is continuous
- Market has continuous trading
- Short-term interest rate is known and constant
- Stock returns are lognormally distributed ₃₉



Black-Scholes with Dividends

• Dividends are a form of "asset leakage". If dividend are paid repeatedly we adjust Black Scholes to allow constant proportional dividends:

$$C = S_{\delta} N(d_3) - K e^{-rt} N(d_3 - \sigma \sqrt{t})$$

where $d_3 = \frac{\ln(S_{\delta} / K) + [r + \sigma^2 / 2]t}{\sigma \sqrt{t}}$
and $S_{\delta} = S e^{-\delta t}$ and δ is a constant dividend yield.

4	1

